# **Some ROMS Algorithms**

Hernan G. Arango DMCS, Rutgers University

COAWST Modeling System Training WHOI, Woods Hole, MA
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# **ROMS VIP'S**



Andrew M. Moore
U. California Santa Cruz
Adjoint-Based Algorithms



John C. Warner
USGS, WHOI
Sediment Transport, Nesting
COAWST



Alexander F. Shchepetkin U. California Los Angeles Nonlinear Kernel



John L. Wilkin IMCS, Rutgers University Supreme Beta Tester



Kate S. Hedstrom
U. Alaska, Fairbanks
User Community Forum



David J. Robertson
IMCS, Rutgers University
Cyber Infrastructure











### **Latest Releases**

- Revised wetting and drying algorithm: www.myroms.org/projects/src/ticket/648
- Replaced the SPLINES option: www.myroms.org/projects/src/ticket/681
- Corrected tracer horizontal diffusion algorithms: <u>www.myroms.org/projects/src/ticket/689</u>
- Added Red Tide Ecosystem Model (Gulf of Maine): <u>www.myroms.org/projects/src/ticket/694</u>
- Added Ensemble Kalman filter (EnKF) using the Data Assimilation Research Testbed (DART) developed at NCAR:
   www.myroms.org/projects/src/ticket/697
- Added Staggered Grid (SGRID) data model conventions: <u>www.myroms.org/projects/src/ticket/701</u>
- Major Update to all 4D-Var algorithms: <u>www.myroms.org/projects/src/ticket/702</u>
- Added Quicksave output NetCDF file: <u>www.myroms.org/projects/src/ticket/704</u>

# **SPLINES Option**

The SPLINES option was removed and replaced with following three options for more flexibility:

- SPLINES\_VDIFF: conservative, parabolic splines reconstruction for vertical diffusion on active and passive tracers (step3d\_t.f).
- SPLINES\_VVISC: conservative, parabolic splines reconstruction for vertical diffusion on active and passive tracers (step3d\_uv.f).
- RI\_SPLINES: conservative, parabolic splines reconstruction for vertical velocity shear used in the Richardson Number (gls\_corstep.F and my25\_corstep.F) and Bulk Richardson Number (Imd\_bkpp.F, Imd\_skpp.F, and Imd\_vmis.F).

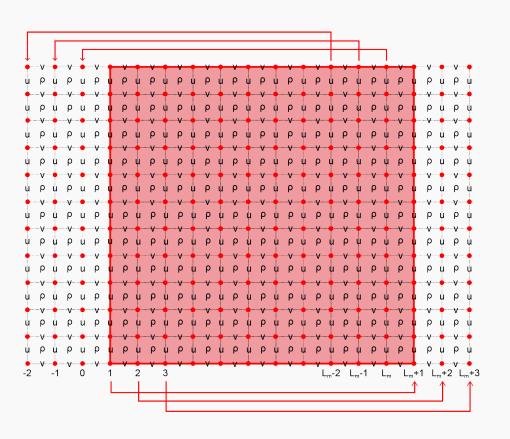
It was been reported that the SPLINES option violates the stress condition:

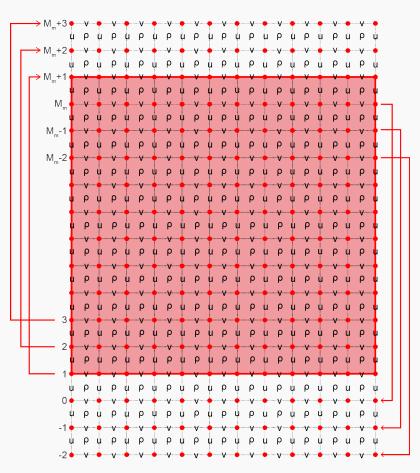
```
sustr = Akv * du/dz
systr = Akv * dv/dz
```

Check <a href="https://www.myroms.org/projects/src/ticket/681">https://www.myroms.org/projects/src/ticket/681</a>

# ROMS Nesting is very unique: Inspiration

# **Nesting Inspiration**

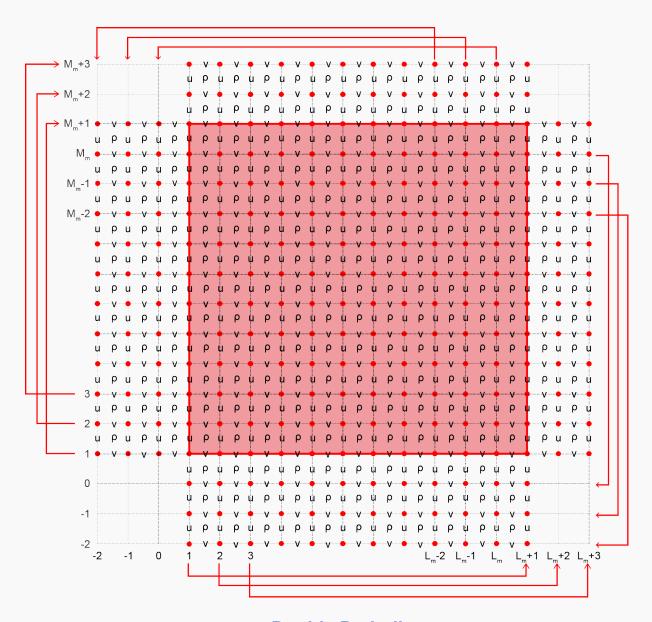




**East-West Periodic** 

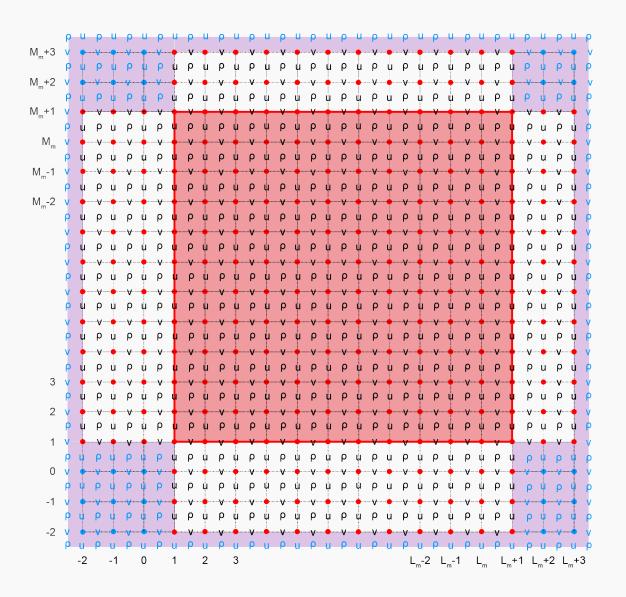
**North-South Periodic** 

# **Nesting Inspiration**

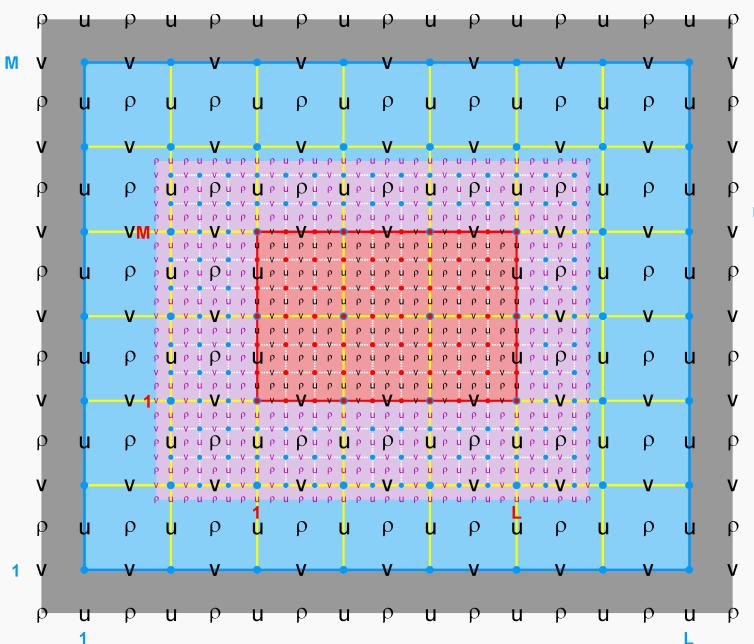


**Double Periodic** 

# **Nesting Inspiration**



#### **Nested Grids: Refinement Class**



Ngrids = 2 NestLayers = 2 GridsInLayer = 1 1 Ncontact = 2 Donor Grid = blue Receiver Grid = red

Ncontact=(Ngrids-1)\*2

# **Nesting Strategy**

• The horizontal i- and j-ranges in the numerical kernel DO-loops are expanded to allow operations on various nested grid classes (refinement, mosaics, and composite) and nesting layers (refinement and composite combinations).

This facilitates the computation of any horizontal operators (advection, diffusion, gradient, etc.) in the nesting overlap regions and avoids the need for cumbersome lateral boundary conditions on the model variables and their associated flux/gradient values. The advantage of this approach is that it is generic to any discrete horizontal operator. The overlap region is an extended section of the grid that overlays an adjacent grid.

The strategy is to compute the full horizontal operator at the contact points between nested grids instead of specifying boundary conditions.

# **Nesting Strategy**

Nowadays, the lateral boundary conditions are set with logical switches (LBC structure) that depend on the nested grid.

This facilitates, in a generic way, the processing or not of lateral boundary conditions in applications with nested grids. In nesting applications, the values at the lateral boundary points are computed directly in the overlap region by the numerical kernel.

The logical switches allow different lateral boundary conditions types between active (temperature and salinity) and passive (biology, sediment, inert, etc.) tracers.

The lateral boundary condition switches for each state variable and boundary edge are now specified in ROMS input script file, ocean.in.

# **Nesting Strategy**

• The nesting calls appear only in the main time-stepping routines, main2d or main3d. The concept of nesting layers is introduced to allow applications with both composite grids and refinement grids. Several routines in module nesting\_mod are used to process the information that it is required in the overlap region, what information needs to be exchanged from/to another grid, and when to exchange it.

In mosaic and composed grids, the information is exchanged between each sub-time step call in main2d or main3d. For example, the data donor grid and the mosaic/composite grids need to sub-time step the 2D momentum equations before any of them start solving and coupling the 3D momentum equations.

In refinement grids, the information at the contact points is processed at the end of the full time-step layer. The exchange between data donor and refinement grids is two-way.

```
Istr
                               (tile)
                                                                                    Istr-3
       = BOUNDS(ng) % Istr
                                         lstrm3
                                                 = BOUNDS(ng) % lstrm3
                                                                           (tile)
IstrB
       = BOUNDS(ng) % IstrB
                               (tile)
                                         lstrm2
                                                  = BOUNDS(ng) % lstrm2
                                                                           (tile)
                                                                                    Istr-2
                                                 = BOUNDS(ng) % Istrm1
                                                                           (tile)
IstrM
       = BOUNDS(ng) % IstrM
                               (tile)
                                         Istrm1
                                                                                    Istr-1
       = BOUNDS(ng) % IstrP
                                         lstrUm2 = BOUNDS(ng) % lstrUm2
IstrP
                               (tile)
                                                                           (tile)
                                                                                    IstrU-2
       = BOUNDS(ng) % IstrR
                                         lstrUm1 = BOUNDS(ng) % lstrUm1
                                                                                    IstrU-1
IstrR
                               (tile)
                                                                           (tile)
IstrT
       = BOUNDS(ng) % IstrT
                               (tile)
       = BOUNDS(ng) % IstrU
                               (tile)
                                                                                    lend+1
IstrU
                                                 = BOUNDS(ng) % lendp1
                                                                           (tile)
                                         lendp1
                                         lendp2
                                                  = BOUNDS(ng) % lendp2
                                                                            (tile)
                                                                                    lend+2
                                                 = BOUNDS(ng) % lendp2i
lend
       = BOUNDS(ng) % lend
                               (tile)
                                         lendp2i
                                                                           (tile)
                                                                                    lend+2 interior
                                                 = BOUNDS(ng) % lendp3
lendB
       = BOUNDS(ng) % lendB
                               (tile)
                                         lendp3
                                                                           (tile)
                                                                                    lend+3
lendP
       = BOUNDS(ng) % lendP
                               (tile)
lendR
       = BOUNDS(ng) % lendR
                                         Jstrm3
                                                 = BOUNDS(ng) % Jstrm3
                                                                           (tile)
                                                                                    Jstr-3
                               (tile)
       = BOUNDS(ng) % lendT
                                                 = BOUNDS(ng) % Jstrm2
                                                                           (tile)
                                                                                    Jstr-2
lendT
                               (tile)
                                         Jstrm2
                                         Jstrm1
                                                 = BOUNDS(ng) % Jstrm1
                                                                            (tile)
                                                                                    Jstr-1
Jstr
                               (tile)
                                         JstrVm2 = BOUNDS(ng) % JstrVm2 (tile)
       = BOUNDS(ng) % Jstr
                                                                                    JstrV-2
       = BOUNDS(ng) % JstrB
                               (tile)
                                         JstrVm1 = BOUNDS(ng) % JstrVm1 (tile)
JstrB
                                                                                    JstrV-1
JstrM
       = BOUNDS(ng) % JstrM
                               (tile)
       = BOUNDS(ng) % JstrP
JstrP
                               (tile)
                                         Jendp1 = BOUNDS(ng) % Jendp1
                                                                           (tile)
                                                                                    Jend+1
JstrR
       = BOUNDS(ng) % JstrR
                               (tile)
                                         Jendp2 = BOUNDS(ng) % Jendp2
                                                                           (tile)
                                                                                    Jend+2
                                         Jendp2i = BOUNDS(ng) % Jendp2i
       = BOUNDS(ng) % JstrT
JstrT
                               (tile)
                                                                           (tile)
                                                                                    Jend+2 interior
JstrV
       = BOUNDS(ng) % JstrV
                               (tile)
                                         Jendp3 = BOUNDS(ng) % Jendp3
                                                                           (tile)
                                                                                    Jend+3
                                       Suffix:
Jend
       = BOUNDS(ng) % Jend
                               (tile)
JendB = BOUNDS(ng) % JendB (tile)
                                       R:
                                            tile RHO-points
                                                               B: Boundary tile RHO- and V-points
JendP = BOUNDS(ng) % JendP (tile)
                                            tile U-points
```

tile V-points

U:

JendR = BOUNDS(ng) % JendR (tile)

JendT = BOUNDS(ng) % JendT (tile)

**Nesting RHO-points** 

M: Boundary tile PSI- and U-points

Nesting PSI-, U-, and V-points

### **Boundary Tile Indices**

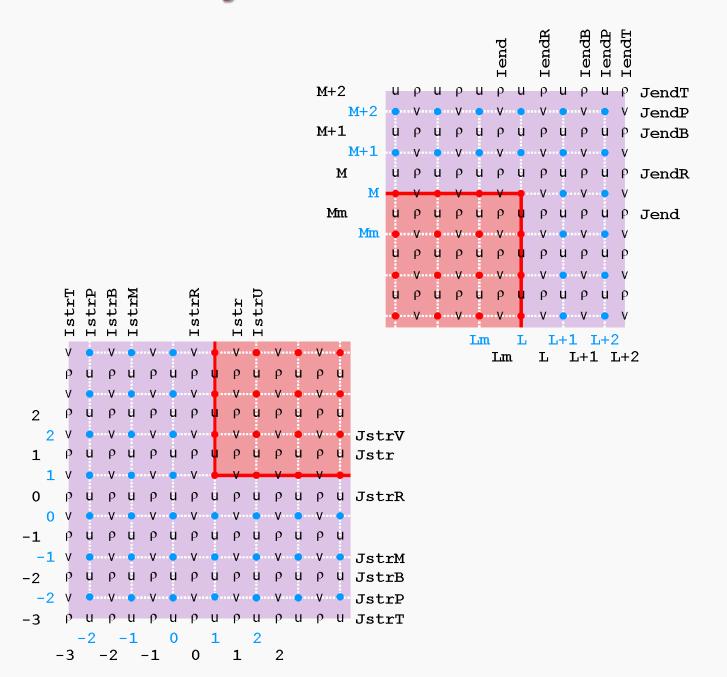
If not nesting grids, the additional boundary tile indices associated with nesting are set to:

```
full range, starting I- direction (RHO-point)
IstrT = IstrR
                      full range, ending I- direction (RHO-point)
IendT = IendR
                      full range, starting J-direction (RHO-point)
JstrT = JstrR
                      full range, ending J-direction (RHO-point)
JendT = JendR
                      full range, starting I- direction (PSI-, U-point)
IstrP = Istr
                      full range, ending I- direction (PSI-point)
IendP = Iend
                      full range, starting J-direction (PSI-, V-point)
JstrP = Jstr
                      full range, ending J-direction (PSI-point)
JendP = Jend
                      interior range, starting I- direction (RHO-, V-point)
IstrB = Istr
                      interior range, ending I- direction (RHO-, V-point)
IendB = Iend
                      interior range, starting J-direction (RHO-, U-point)
JstrB = Jstr
                      interior range, ending J-direction (RHO-, U-point)
JendB = Jend
                      interior range, starting I- direction (PSI-, U-point)
IstrM = IstrU
```

JstrM = JstrV

interior range, starting J-direction (PSI-, V-point)

# **Boundary Tile Indices Locations**



# **Lateral Boundary Conditions Structure**

```
TYPE T LBC
    logical :: acquire
                                        process lateral boundary data
    logical :: Chapman explicit
    logical :: Chapman implicit
    logical :: clamped
    logical :: closed
    logical :: Flather
    logical :: gradient
    logical :: nested
    logical :: nudging
    logical :: periodic
    logical :: radiation
    logical :: reduced
    logical :: Shchepetkin
END TYPE T LBC
TYPE (T LBC), allocatable :: LBC(:,:,:)
For example, for free-surface gradient boundary conditions we have:
    LBC(iwest, isFsur, ng) % gradient
    LBC(ieast, isFsur, ng) % gradient
    LBC(isouth, isFsur, ng) % gradient
```

LBC(inorth, isFsur, ng) % gradient

## **Lateral Boundary Conditions Code**

For Example, in zetabc.F the western boundary conditions are:

```
IF ( DOMAIN (ng) % Western Edge(tile) ) THEN
  IF (LBC (iwest, isFsur, ng) % radiation) THEN
  ELSE IF (LBC (iwest, isFsur, ng) % Chapman explicit) THEN
  ELSE IF (LBC (iwest, isFsur, ng) % Chapman implicit) THEN
  ELSE IF (LBC (iwest, isFsur, ng) % clamped ) THEN
  ELSE IF (LBC (iwest, isFsur, ng) % gradient ) THEN
  ELSE IF (LBC (iwest, isFsur, ng) % closed ) THEN
     DO i = Jstr, Jend
       IF (LBC apply (ng) % west (i)) THEN
                                                                ! Allows both specified and
                                                                 ! nested conditions
          zeta (lstr-1, j, kout) = zeta (lstr, j, kout)
       END IF
     END DO
  END IF
END IF
```

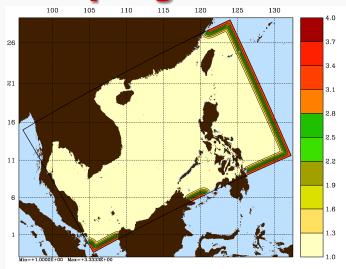
## **Viscosity and Diffusion Sponges**

The horizontal viscosity is now computed as:

```
visc2_r(i,j) visc_factor(i,j) visc2_r(i,j)
visc4_r(i,j) visc_factor(i,j) visc4_r(i,j)
```

And the horizontal diffusion is now computed as:

```
diff2(i,j,itrc) diff_factor(i,j) diff2(i,j,itrc) diff4(i,j,itrc) diff_factor(i,j) diff4(i,j,itrc)
```



The horizontal mixing coefficients (visc\_factor and diff\_factor) can be set with analytical functions using ANA\_SPONGE or can be read from input GRID NetCDF file variables:

```
double visc_factor (eta_rho, xi_rho);
    visc_factor:long_name = "horizontal viscosity sponge factor";
    visc_factor:valid_min = 0.;
    visc_factor:coordinates = "lon_rho lat_rho";

double diff_factor (eta_rho, xi_rho);
    diff_factor:long_name = "horizontal diffusivity sponge factor";
    diff_factor:valid_min = 0.;
    diff_factor:coordinates = "lon_rho lat_rho";
```

The Matlab script add\_sponge.m can be used to append sponge variables to the application GRID NetCDF file

# **Standard Input File: Rivers and Sponges**

Logical switches (TRUE/FALSE) to activate horizontal momentum transport point Sources/Sinks (like river runoff transport) and mass point Sources/Sinks (like volume vertical influx), [1:Ngrids].

```
LuvSrc == 3*F ! horizontal momentum transport
LwSrc == 3*F ! volume vertical influx
```

Logical switches (TRUE/FALSE) to activate tracers point Sources/Sinks (like river runoff) and to specify which tracer variables to consider: [1:NAT+NPT,Ngrids]. See glossary below for details.

```
LtracerSrc == 2*F 2*F 2*F ! temperature, salinity, inert
```

Logical switches (TRUE/FALSE) to increase/decrease horizontal viscosity and/or diffusivity in specific areas of the application domain (like sponge areas) for the desired application grid.

```
LuvSponge == 3*F ! horizontal momentum
LtracerSponge == 2*F 2*F 2*F ! temperature, salinity, inert
```

# Standard Input File: Climatology and Nudging

Logical switches (TRUE/FALSE) to read and process climatology fields. See glossary below for details.

```
LsshCLM == 3*F ! sea-surface height
Lm2CLM == 3*F ! 2D momentum
Lm3CLM == 3*F ! 3D momentum
```

LtracerCLM == 2\*F 2\*F 2\*F ! temperature, salinity, inert

Logical switches (TRUE/FALSE) to nudge the desired climatology field(s). If not analytical climatology fields, users need to turn ON the logical switches above to process the fields from the climatology NetCDF file that are needed for nudging. See glossary below for details.

```
LnudgeM2CLM == 3*F ! 2D momentum
LnudgeM3CLM == 3*F ! 3D momentum
```

LnudgeTCLM == 2\*F 2\*F 2\*F ! temperature, salinity, inert

# **Nudging Coefficients Metadata**

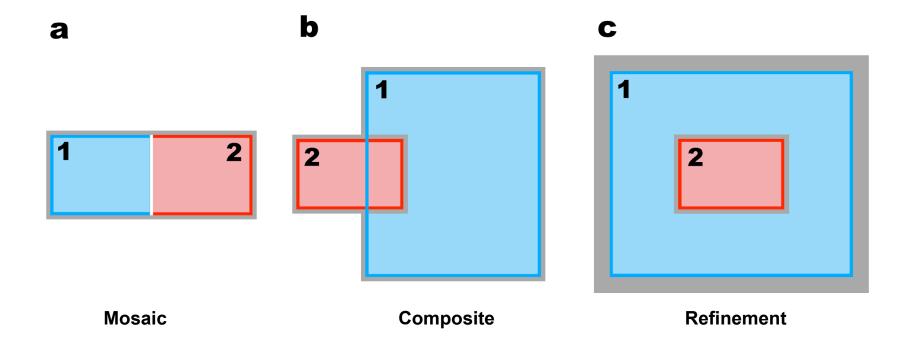
The inverse (1/time) nudging coefficients can be set with analytical functions using ANA\_NUDGCOEF or can be read from new input NUDNAME NetCDF file variables:

```
double M2 NudgeCoef (eta rho, xi rho);
        M2_NudgeCoef:long_name = "2D momentum inverse nudging coefficients";
        M2 NudgeCoef:units = "day-1";
        M2 NudgeCoef:coordinates = "xi rho eta rho";
double M3 NudgeCoef (s_rho, eta_rho, xi_rho);
        M3_NudgeCoef:long_name = "3D momentum inverse nudging coefficients";
        M3 NudgeCoef units = "day-1";
        M3 NudgeCoef:coordinates = "xi rho eta rho s rho ":
double tracer_NudgeCoef (s_rho, eta_rho, xi_rho);
        tracer_NudgeCoef:long_name = "generic tracer inverse nudging coefficients";
        tracer NudgeCoef:units = "day-1";
        tracer NudgeCoef:coordinates = "xi rho eta rho s rho ";
double temp NudgeCoef (s rho, eta rho, xi rho);
        temp NudgeCoef:long name = "temp inverse nudging coefficients";
        temp_NudgeCoef:units = "day-1";
        temp NudgeCoef:coordinates = "xi rho eta rho s rho ";
double salt_NudgeCoef (s_rho, eta_rho, xi_rho) ;
        salt_NudgeCoef:long_name = "salt inverse nudging coefficients";
        salt_NudgeCoef:units = "day-1";
        salt NudgeCoef:coordinates = "xi rho eta rho s rho ";
```

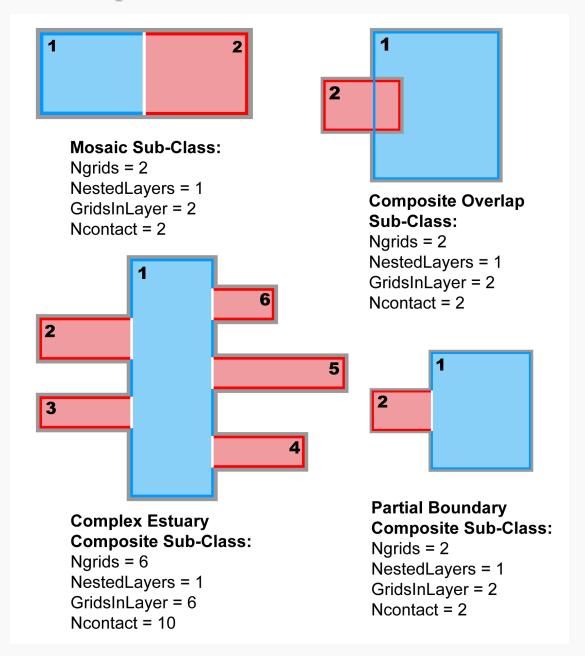
# **Nesting Configuration Types**

- Composite Grids Super-Class:
  - 1. Mosaic Grids Sub-Class
  - 2. Composite Overlap Grids Sub-Class
  - 3. Complex Estuary Composite Grids Sub-Class
  - 4. Partial Boundary Composite Grids Sub-Class
- Refinement Grids Super-Class:
  - 1. Single Refinement Sub-Class
  - 2. Multiple Refinement Sub-Class
- Composite and Refinement Combination Super-Class:
  - 1. Refinement and Partial Boundary Composite Sub-Class
  - 2. Complex Estuary Refinement-Composite Sub-Class

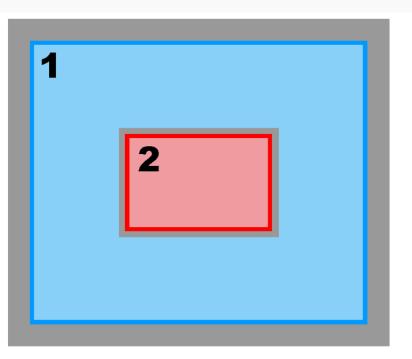
# **Nesting Classes**

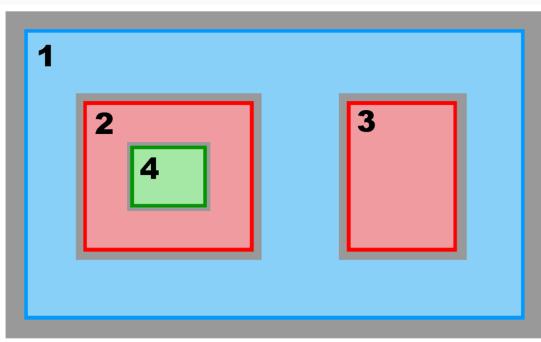


# **Composite Grid Sub-Classes**



#### **Refinement Grid Sub-Classes**





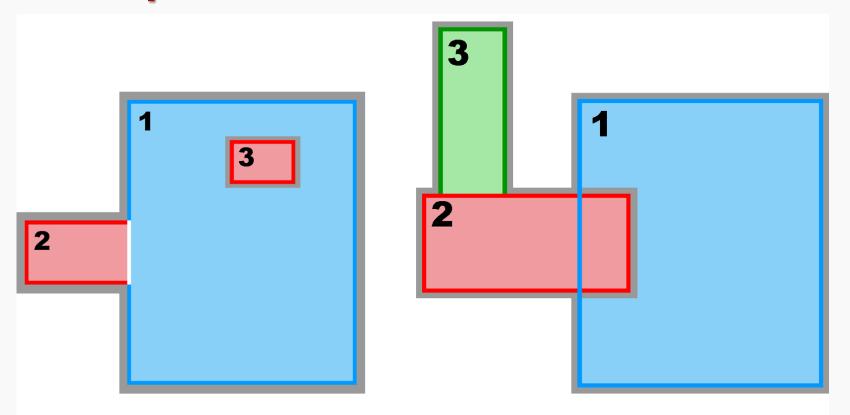
# Single Refinement Sub-Class:

Ngrids = 2 NestedLayers = 2 GridsInLayer = 1 1 Ncontact = 2 Ngrids = 4 NestedLayers = 3 GridsInLayer = 1 2 1 Ncontact = 6

Multiple Refinement

Sub-Class:

# **Composite-Refinement Grid Sub-Classes**



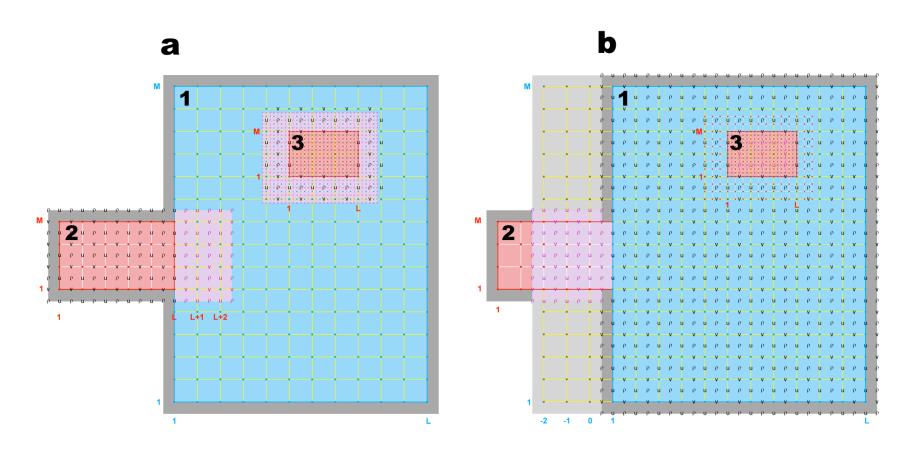
# Refinement and Partial Boundary Composite Sub-Class:

Ngrids = 3 NestedLayers = 2 GridsInLayer = 2 1 Ncontact = 4

# Complex Estuary Refinement-Composite Sub-Class:

Ngrids = 3 NestedLayers = 2 GridsInLayer = 1 2 Ncontact = 4

## **Contact Areas and Points**



**Refinement-Composite Sub-Class** 

#### **Contact Areas and Points: Definitions**

Contact Region (cr): Extended section of the nested grid that overlays an adjacent nested grid. It is the region where the exchange of data between nested grids takes place. Since ROMS nesting is two-way by default, there are Ncontact=(Ngrids-1)\*2 contact regions, where Ngrids is the number of nested grids and Ncontact is the number of contact regions in a nested application. There is a duality in ROMS grid nesting: data donor in one contact region and data receiver in its conjugate contact region. Each contact region has a donor and a receiver grid.

Contact Points: Grid cells inside a contact region. Since ROMS governing equations are solved in an Arakawa C-grid, there are contact points at  $\rho$ -,  $\Psi$ -, u-, and v-points. However, the  $\Psi$ -points are only used to define the physical grid perimeters within a contact region. Since the C-grid stencil indices in ROMS are left-bottom ordered, there are always 4  $\rho$  contact points at the left and bottom side of the contact region. On the other hand, there are 3  $\rho$  contact points on the right and top side of the contact region.

Donor Grid (dg): Data source grid in a nesting contact region. In refinement, the donor grid is used either to interpolate data from coarse to fine grid or to average data from fine to coarse grid (two-way feedback).

Receiver Grid (rg): Data recipient grid in a nesting contact region. In refinement, the contact points of the finer receiver grid are interpolated using the coarser donor data from the grid cell containing the contact point. The interpolation can be linear or quadratic. In two-way nesting, when the coarse grid is the receiver grid the finer grid solution is averaged within the coarse cell. The coarse grid cell value is replaced with the finer grid averaged solution. This takes place in routine fine2coarse.

Nesting Layer: Nested grids time-step arrangement and order for the ROMS numerical kernel. It is directly related to the time-step size (dt) for each nested grid. The number of nested layers, NestLayers, is specified in standard input script (ocean.in) and should be equal to the different number of time-step size (dt).

# **Contact Regions and Contact Points**

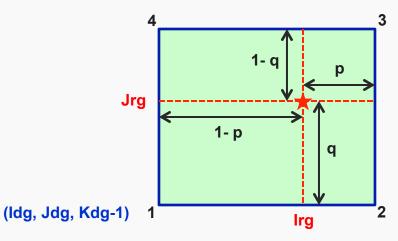
#### **Contact Points Structure**

integer :: Ncontact total number of contact regions TYPE T NGC logical :: coincident coincident donor and receiver points, p=q=0 logical :: interpolate perform vertical interpolation integer :: donor grid data donor grid number integer :: receiver\_grid data receiver grid number integer :: Npoints donor grid, cell I-left index integer, pointer :: ldg (:) integer, pointer :: Jdg (:) donor grid, cell J-bottom index integer, pointer :: Kdg (: , :) donor grid, cell K-index integer, pointer :: Irg (:) receiver grid, I-contact point integer, pointer :: Jrg (:) receiver grid, J-contact point real(r8), pointer :: Lweight (: , :) linear horizontal weights real(r8), pointer :: LweightUmasked (: , :) linear horizontal unmasked weights (WET\_DRY) real(r8), pointer :: Qweight (: , :) quadratic horizontal weights real(r8), pointer :: QweightUmasked (: , :) quadratic horizontal unmasked weights (WET\_DRY) vertical weights real(r8), pointer :: Vweight(: , : , :) **END TYPE T NGC** TYPE (T NGC), allocatable :: Rcontact (:) **RHO-points** TYPE (T\_NGC), allocatable :: Ucontact (:) **U-points** TYPE (T NGC), allocatable :: Vcontact (:) **V-points** 

## **Contact Points Interpolation**

(ldg+1, Jdg+1, Kdg-1)

```
Suffix: dg = donor grid
rg = receiver grid
```



5 5 6 3 Kdg-1

```
Lweight (1, :) = (1 - p) * (1 - q)

Lweight (2, :) = p * (1 - q)

Lweight (3, :) = p * q

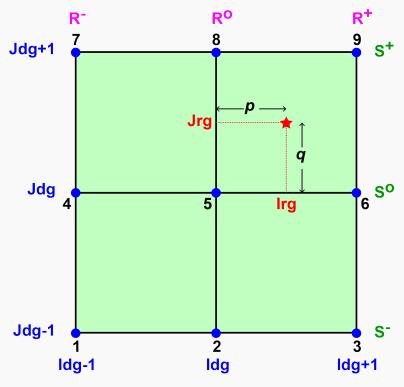
Lweight (4, :) = (1 - p) * q
```

```
Value (Irg, Jrg) = Lweight (1,:) * F2d(Idg ,Jdg )+
Lweight (2,:) * F2d(Idg+1,Jdg )+
Lweight (3,:) * F2d(Idg+1,Jdg+1)+
Lweight (4,:) * F2d(Idg ,Jdg+1)
```

If coincident contact points between data donor and data receiver grids, p = q = 0.0,

Lweight (1, :) = 1.0 Lweight (3, :) = 0.0 Lweight (4, :) = 0.0 Lweight (5, :) = 0.0 Value (Irg, Jrg) = Lweight (1, :) \* F2d( ldg, Jdg )

# **Contact Points: Quadratic Interpolation**



$$R^{-} = 0.5 * p * (p-1) + \alpha$$
  $S^{-} = 0.5 * q * (q-1) + \alpha$   $R^{\circ} = (1-p^{2})$   $- 2\alpha$   $S^{\circ} = (1-q^{2})$   $- 2\alpha$   $S^{+} = 0.5 * p * (p+1) + \alpha$   $S^{+} = 0.5 * q * (q+1) + \alpha$ 

The finer grid variable, F, is interpolated from the coarser grid variable, C, as:

# **Contact Points: Quadratic Interpolation**

For conservation and reversibility, we need:

$$\alpha = \frac{\left(\frac{1}{r}\right)^2 - 1}{24}$$

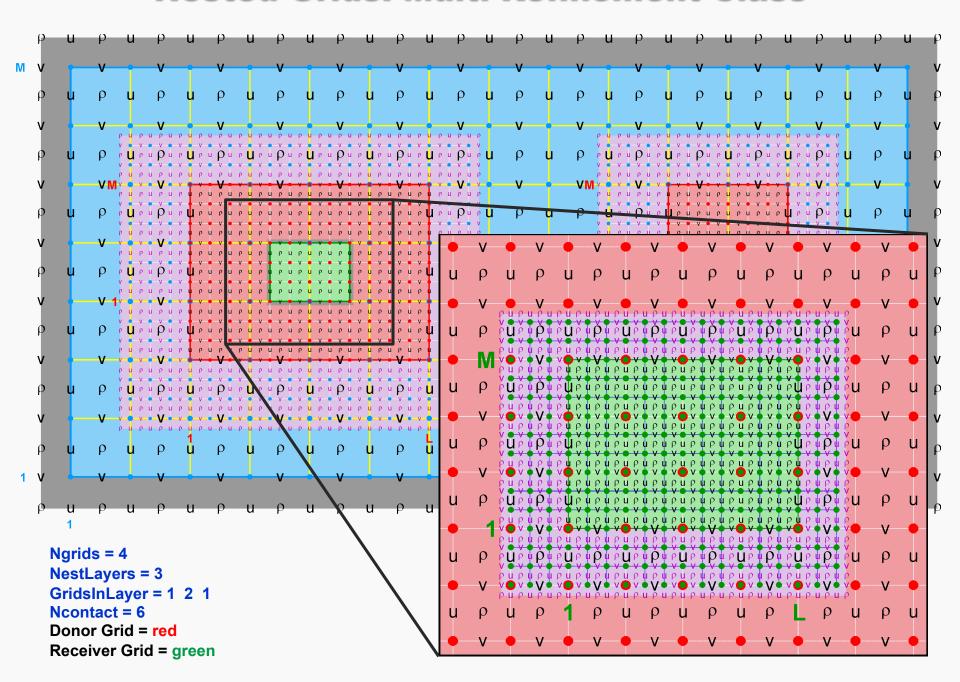
where r is the grid refinement factor. The reversibility condition is:

$$C(i,j) = \frac{1}{r^2} \sum_{1}^{r^2} F(:,:)$$

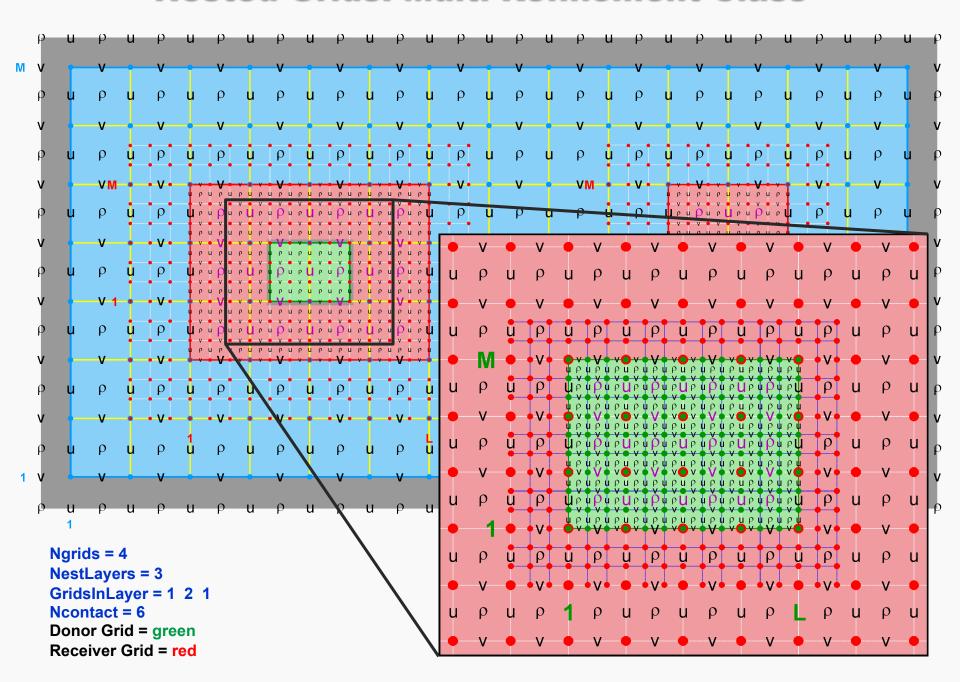
Then, the quadratic interpolation weights are:

```
Qweight (1, :) = R<sup>-</sup> * S<sup>-</sup>
Qweight (2, :) = R<sup>0</sup> * S<sup>-</sup>
Qweight (3, :) = R<sup>+</sup> * S<sup>-</sup>
Qweight (4, :) = R<sup>-</sup> * S<sup>0</sup>
Qweight (5, :) = R<sup>0</sup> * S<sup>0</sup>
Qweight (6, :) = R<sup>+</sup> * S<sup>0</sup>
Qweight (7, :) = R<sup>-</sup> * S<sup>+</sup>
Qweight (8, :) = R<sup>0</sup> * S<sup>+</sup>
Qweight (9, :) = R<sup>+</sup> * S<sup>+</sup>
```

#### **Nested Grids: Multi-Refinement Class**

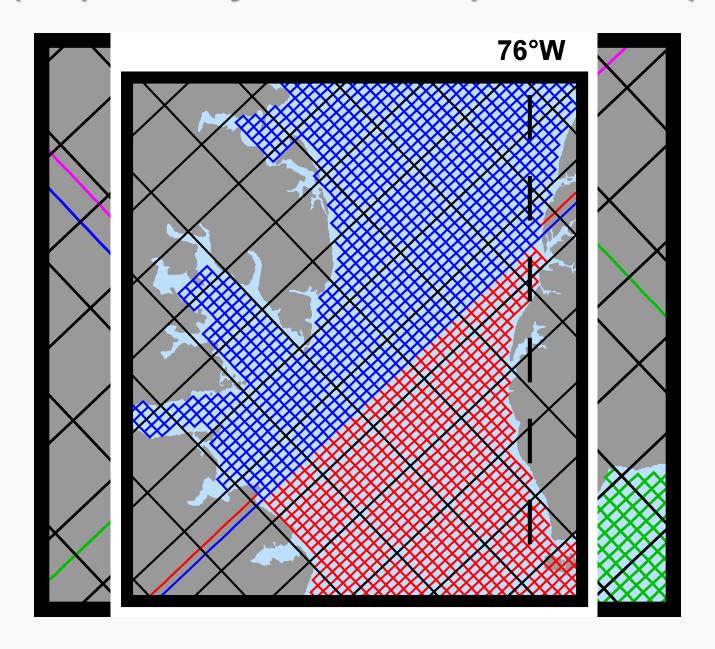


#### **Nested Grids: Multi-Refinement Class**



# Realistic Nesting Configuration: US East Coast

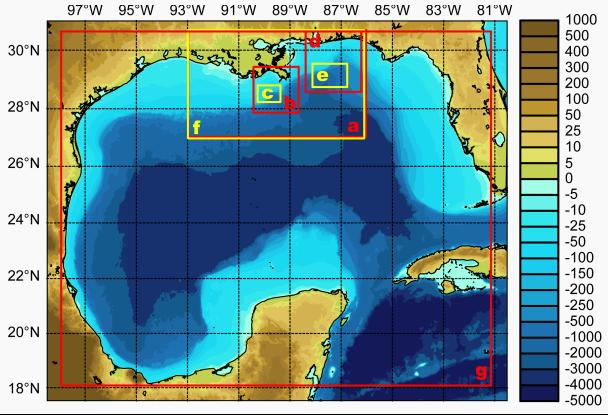
(Complex Estuary Refinement-Composite Sub-Class)



### Realistic Nesting Configuration: US East Coast (Complex Estuary Refinement-Composite Sub-Class)

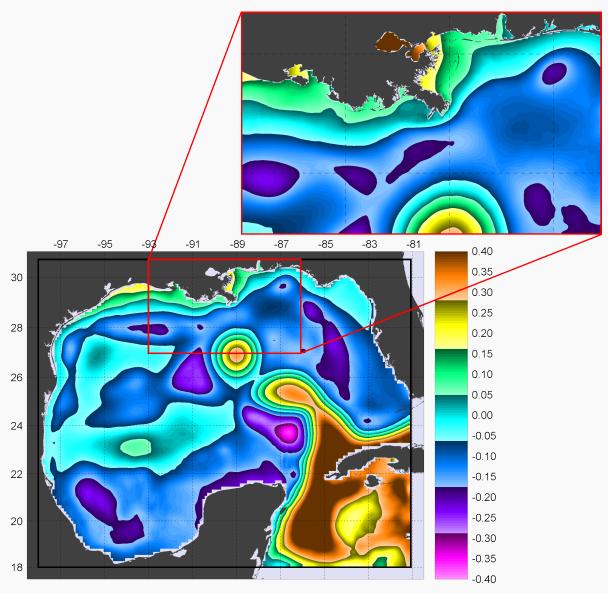
The coarser grid, ESPRESSO (130 x 82), has an average resolution of dx=7.5km, dy=5.8km. The nested grids (ρ-points mesh) are color coded for convenience to show the strategy used to better resolve the Delaware and Chesapeake Estuary Systems. The red and green are refinement grids whereas blue and magenta are composite grids. The refinement ratio is 1:7. An intermediate 1:7 refinement grid is created using Matlab script coarse2fine.m that included both the Delaware and Chesapeake Estuary Systems. Then, the Matlab script grid\_extract.m is used to extract the Delaware Bay refinement grid (58 x 142) and Delaware River composite grid ( $42 \times 55$ ). Similarly, grid extract.m is used to extract the Chesapeake Bay outer refinement grid (135  $\times$  142) and Chesapeake Bay inner composite grid (233 x 212).

# Realistic Nesting Configuration: Gulf of Mexico (Multiple Refinement Sub-Class)



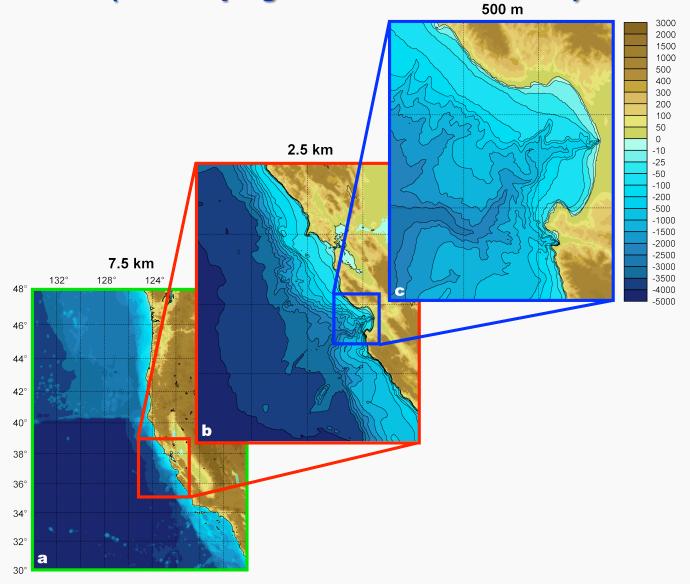
Grid	Min/Max Δx	Min/Max Δy	Mean Δx Mean Δy		Refinement
<b>Number Points</b>	(m)	(m)	(m)	(m)	Factor
<b>a</b> (256x128)	2595 / 2688	3108 / 3220	2642	3165	-
<b>b</b> (325x275)	525 / 533	630 / 639	530	634	1:5 from <b>a</b>
<b>c</b> (825x500)	105 / 107	126 / 127	106	127	1:5 from <b>b</b>
<b>d</b> (400x365)	519 / 530	622 / 635	525	628	1:5 from <b>a</b>
<b>e</b> (1250x700)	105 / 106	126 / 127	105	126	1:5 from <b>d</b>
<b>f</b> (324x150)	2032 / 2106	2696 / 2794	2070	2746	1:5 from <b>g</b>
<b>g</b> (158x98)	10160 / 11236	13484 / 14905	10733	14239	-

### Realistic Nesting Configuration: Gulf of Mexico (Multiple Refinement Sub-Class)



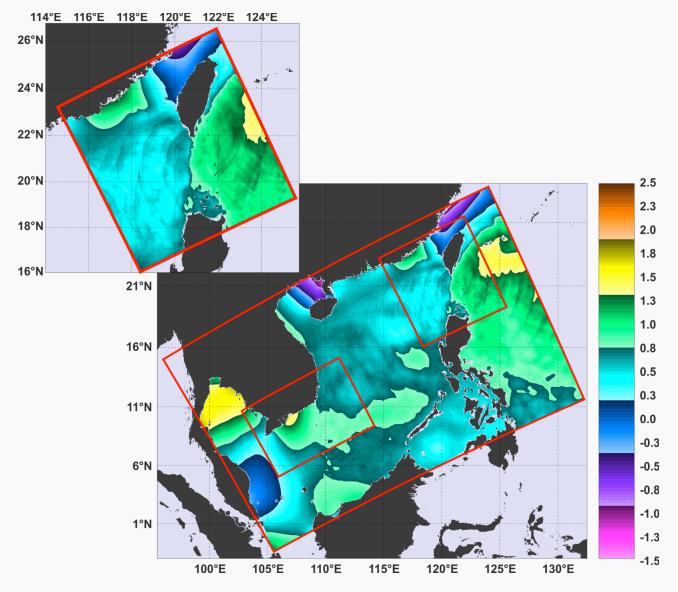
#### Realistic Nesting Configuration: US West Coast

(Telescoping Refinement Sub-Class)



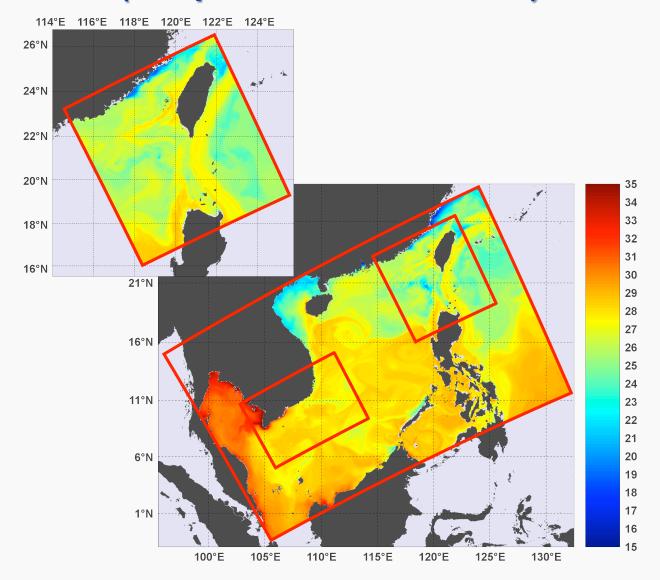
**Modeling of Monterey Canyon** 

# Realistic Nesting Configuration: South China Sea (Multiple Refinement Sub-Class)



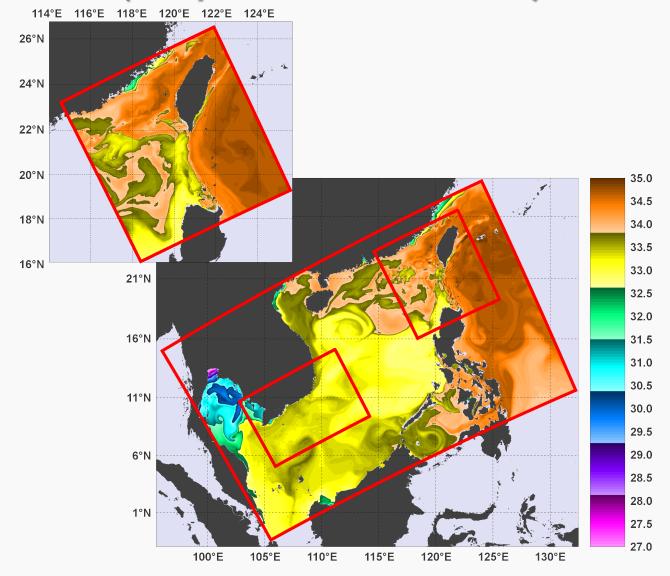
**Free-Surface** 

# Realistic Nesting Configuration: South China Sea (Multiple Refinement Sub-Class)



**Temperature** 

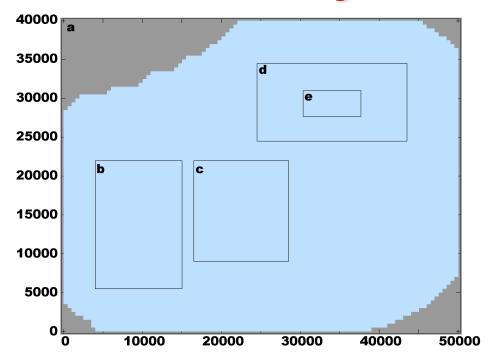
# Realistic Nesting Configuration: South China Sea (Multiple Refinement Sub-Class)



**Salinity** 

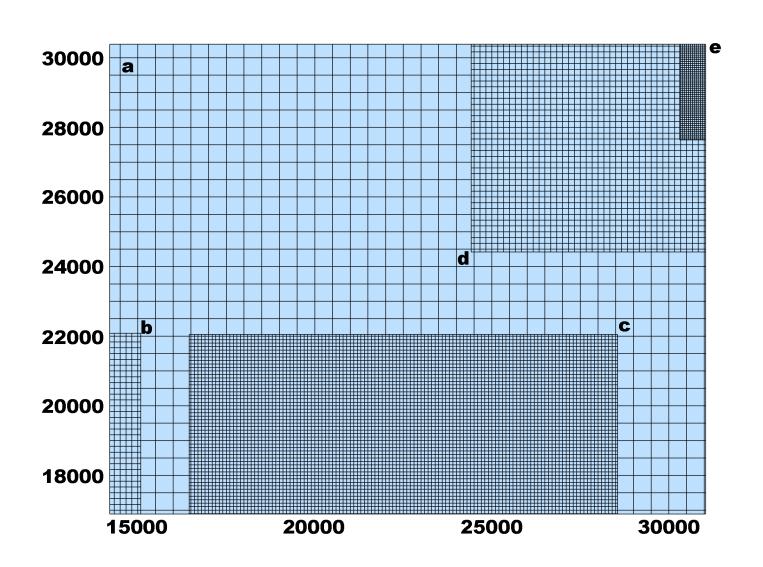
#### **Lake Jersey Test Case**

#### **Lake Jersey**

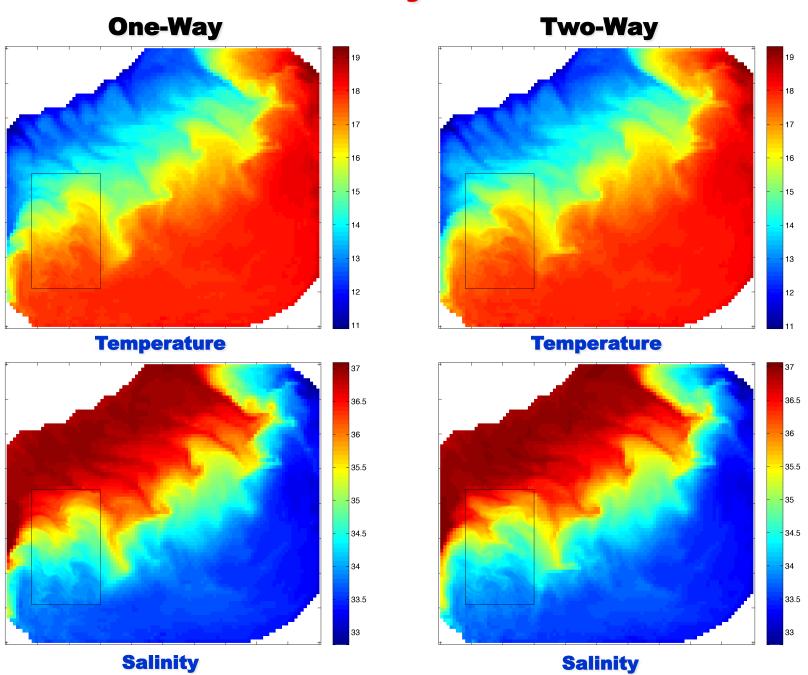


	Lake Jersey Grid Information										
Grid	Mesh Size	Refinement Factor	Parent Imin	Parent Imax	Parent Jmin	Parent Jmax	Δx Δy	Grid NetCDF File			
а	100x80x8	-	-	-	-	-	500.0 m	lake_jersey_grd_a.nc			
b	66x99x8	1:3 from <b>a</b>	9	31	12	45	166.6 m	lake_jersey_grd_b.nc			
С	120x130x8	1:5 from <b>a</b>	34	58	19	45	100.0 m	lake_jersey_grd_c.nc			
d	114x60x8	1:3 from <b>a</b>	50	88	50	70	166.6 m	lake_jersey_grd_d.nc			
е	132x60x8	1:3 from <b>d</b>	36	80	20	40	55.5 m	lake_jersey_grd_e.nc			

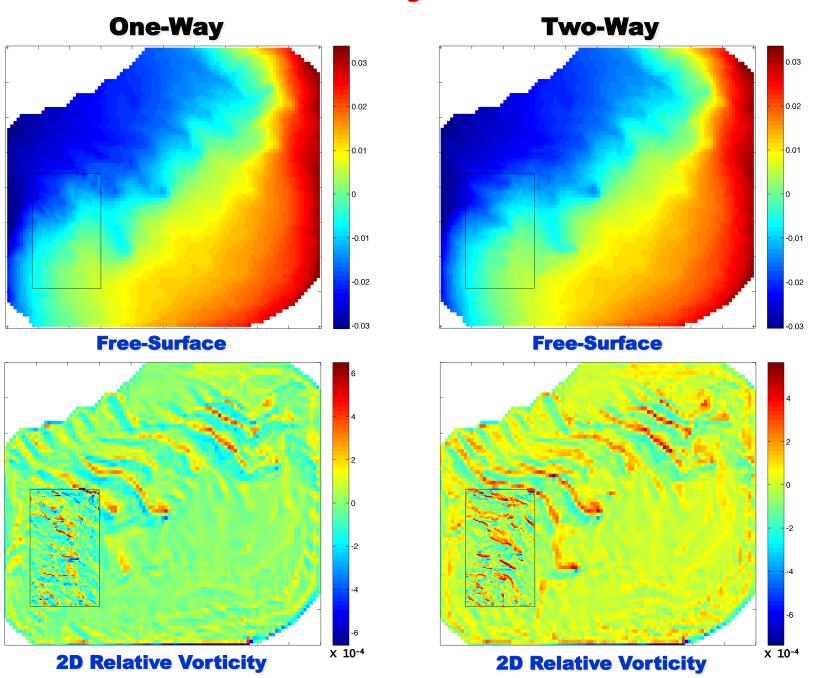
#### **Lake Jersey**



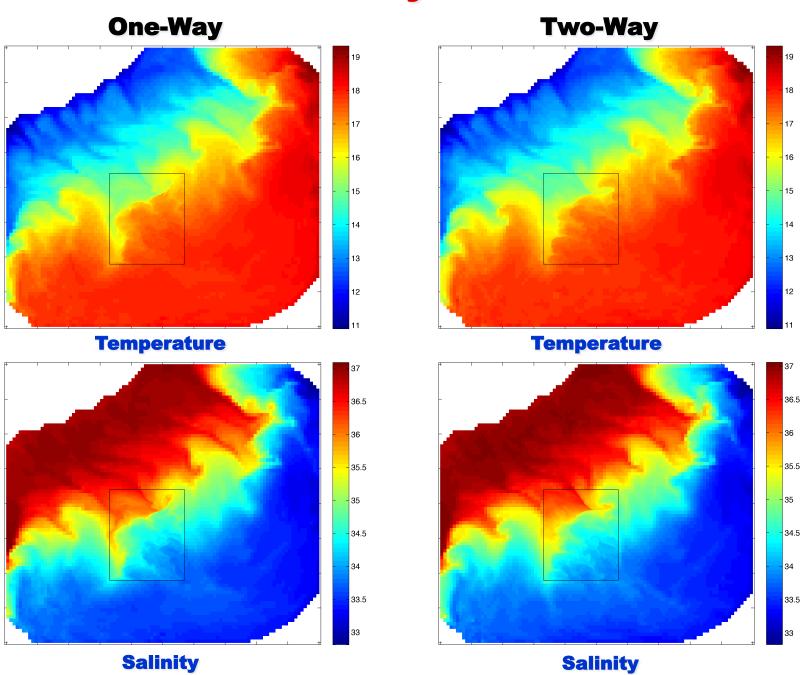
#### **Lake Jersey: Case AB**



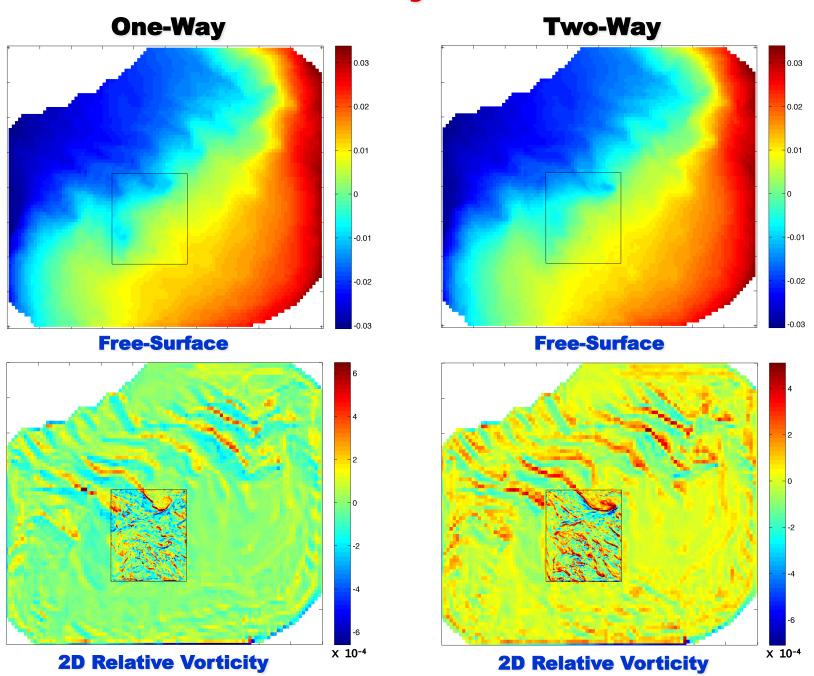
#### **Lake Jersey: Case AB**



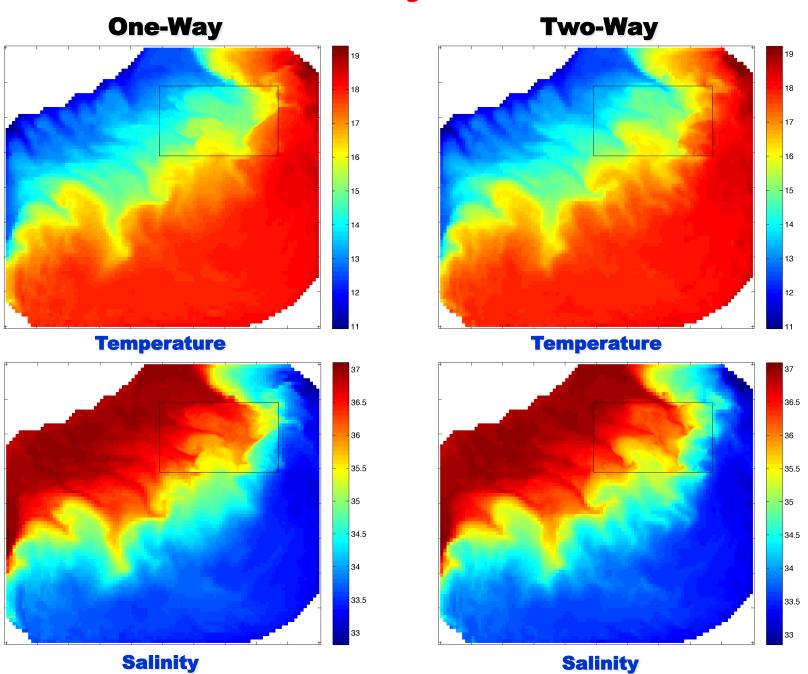
#### **Lake Jersey: Case AC**



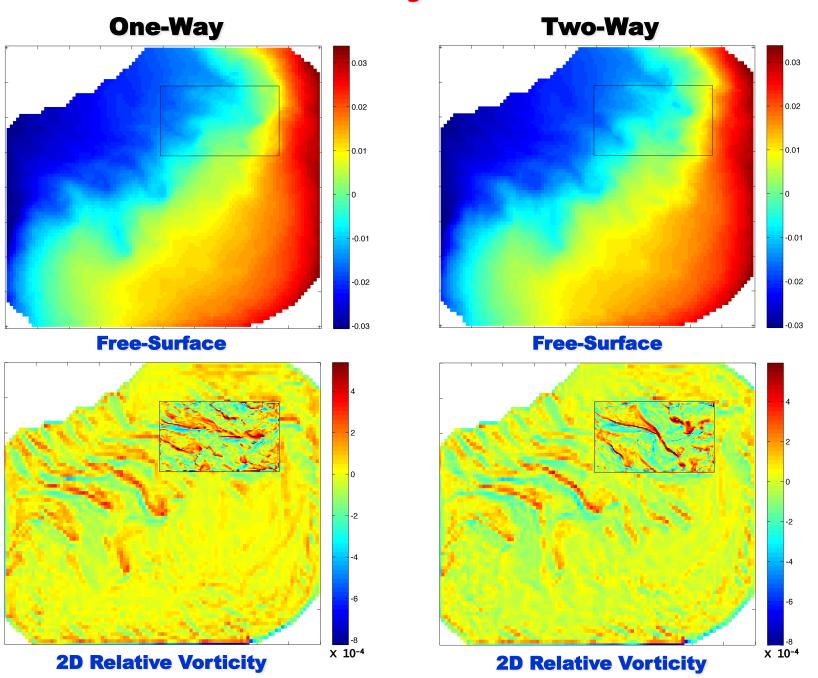
#### **Lake Jersey: Case AC**



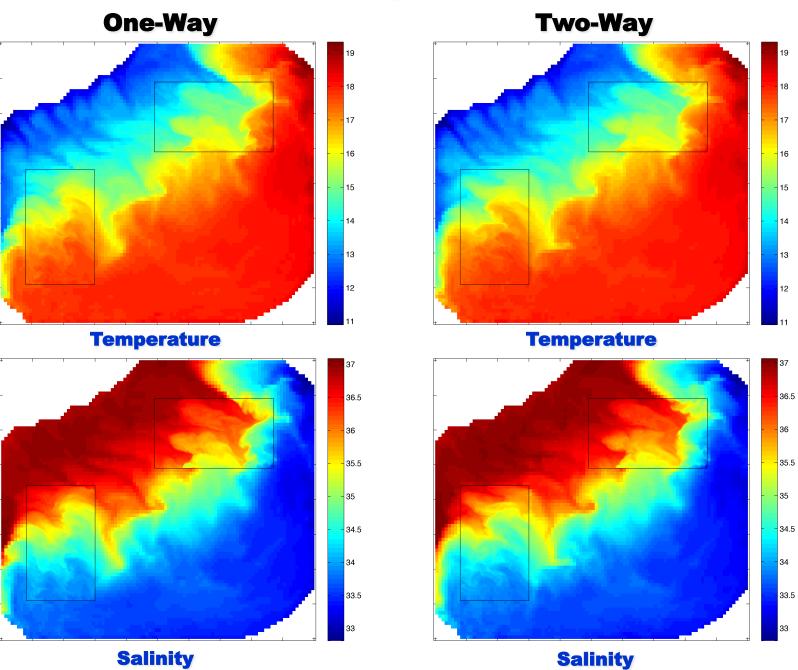
#### **Lake Jersey: Case AD**



#### **Lake Jersey: Case AD**

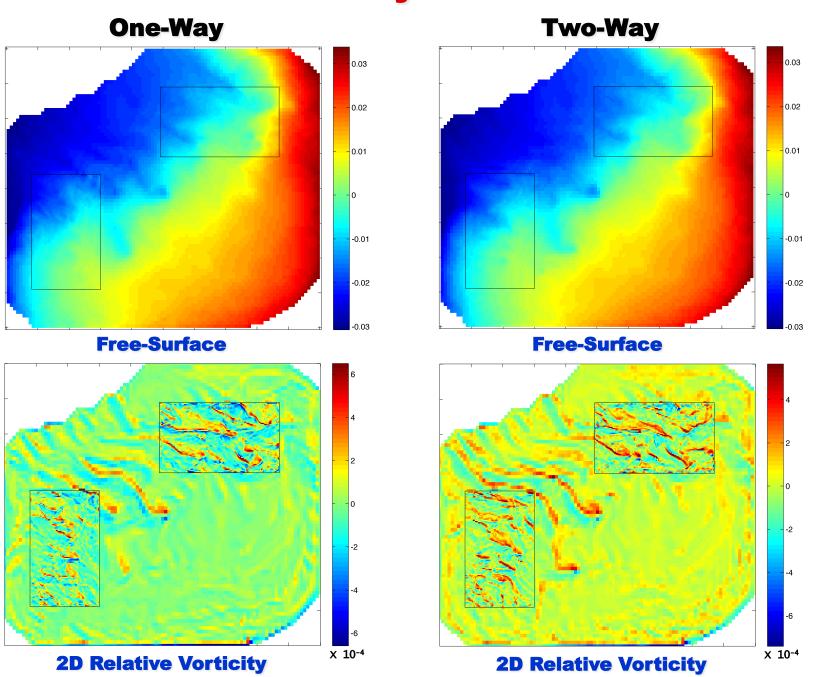


#### **Lake Jersey: Case ABD**

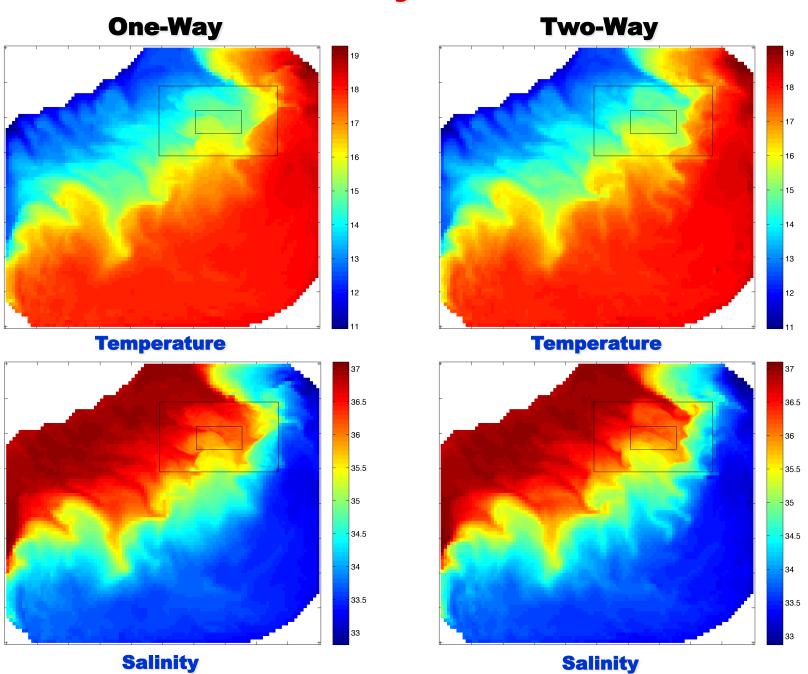


**Salinity** 

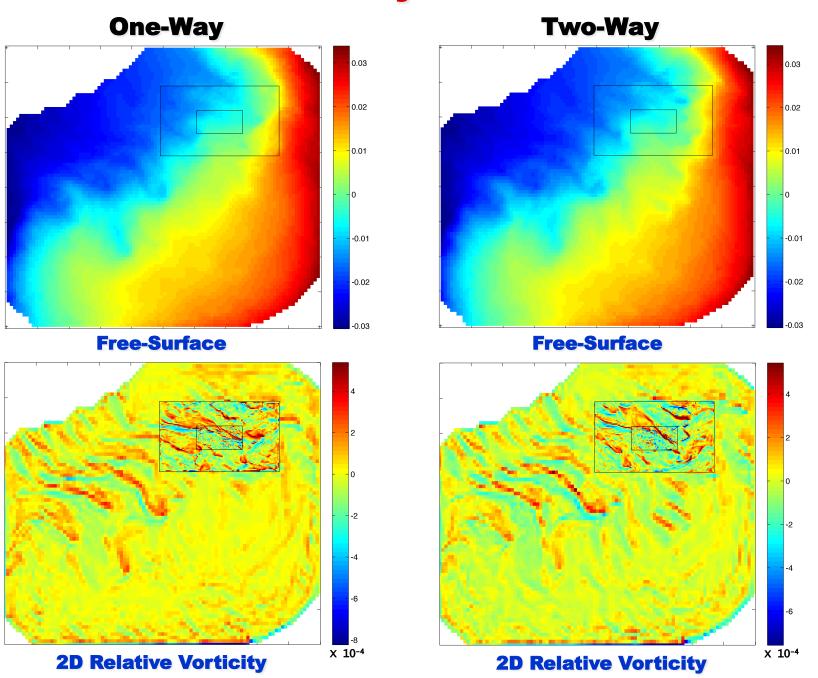
#### **Lake Jersey: Case ABD**



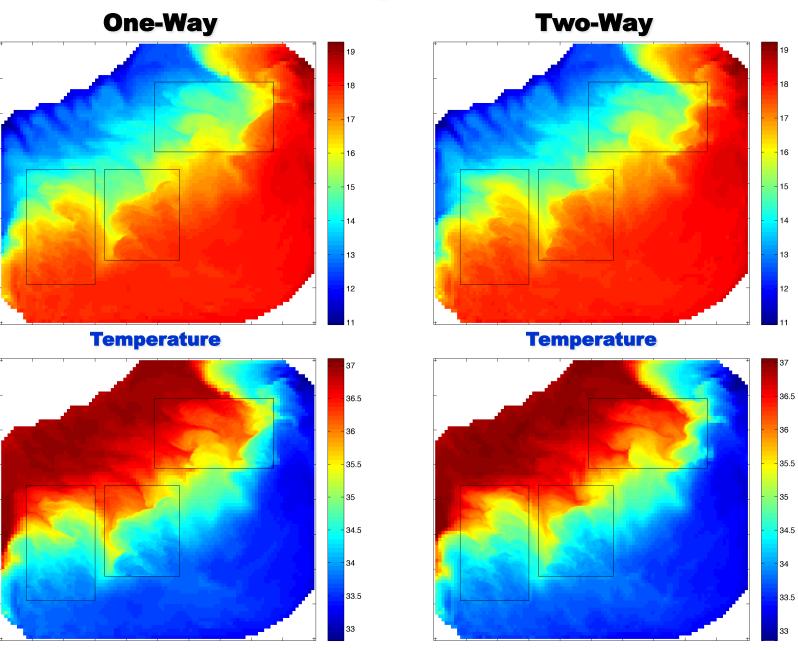
#### **Lake Jersey: Case ADE**



#### **Lake Jersey: Case ADE**

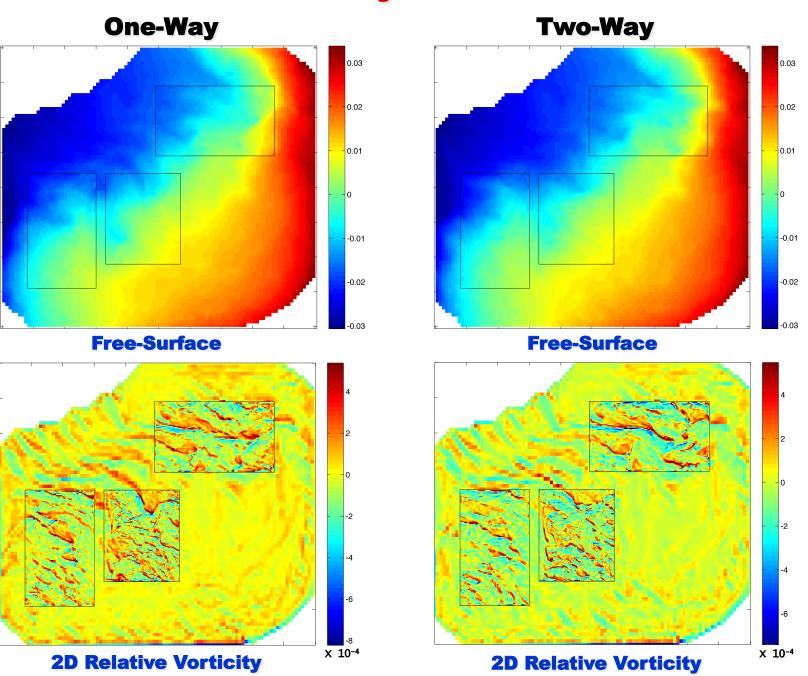


#### **Lake Jersey: Case ABDC**

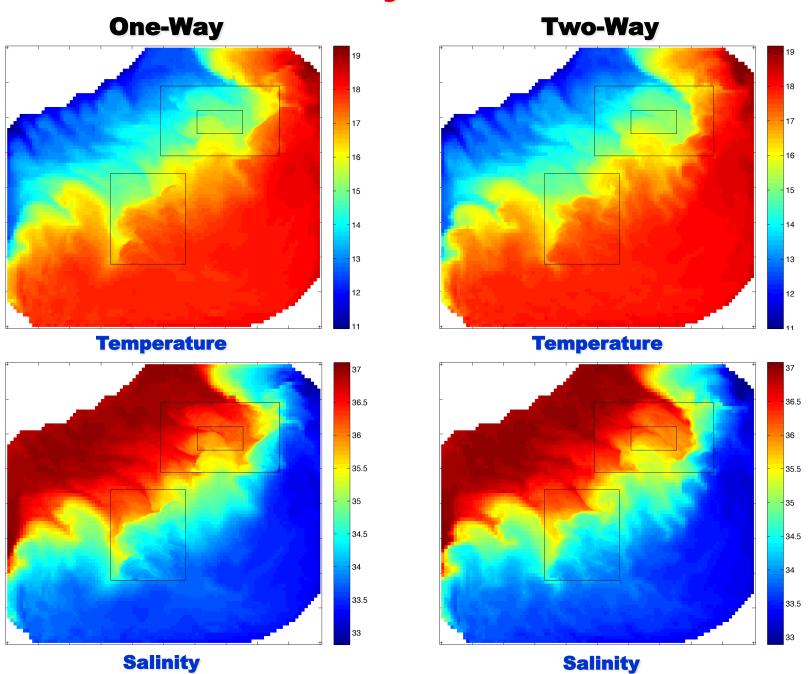


Salinity Salinity

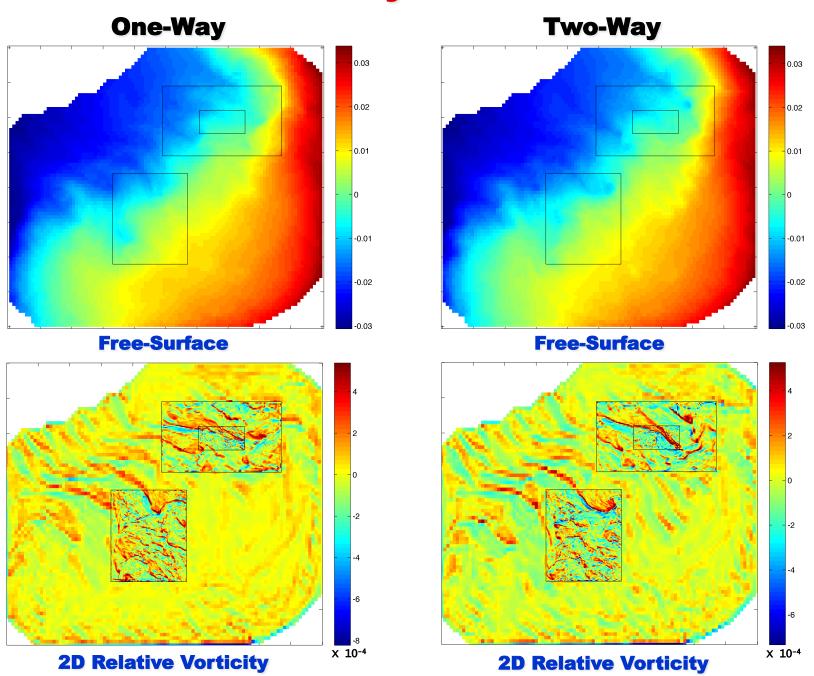
#### **Lake Jersey: Case ABDC**



#### **Lake Jersey: Case ACDE**



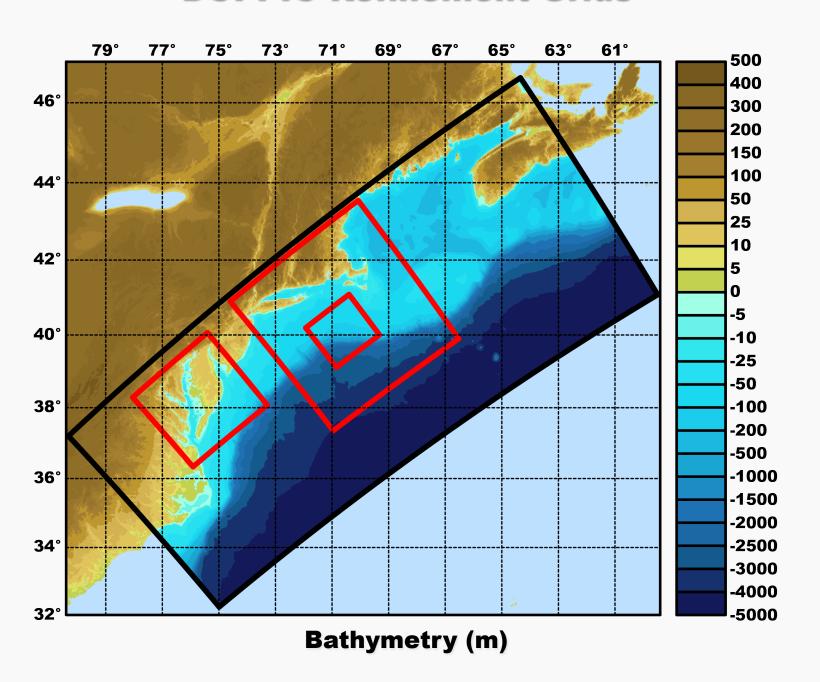
#### **Lake Jersey: Case ACDE**



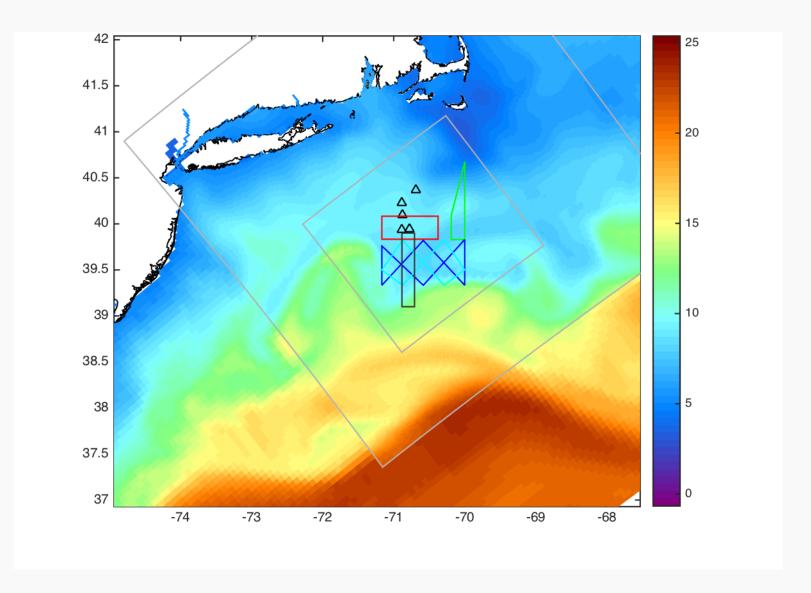
#### **Mid-Atlantic Bight Grids**

- DOPPIO: 242x106 (~7 km)
- Chesapeake-Delaware grid (1:5 ratio): 215x205 (~1.8 km)
- Chesapeake-Delaware grid (1:7 ratio): 303x289 (~1.2 km)
- PIONEER (Hudson Canyon) grid (1:3 ratio): 204x216 (~2.3 km)
- ARRAY (Pioneer Data Array) grid (1:3; 1:9 ratio): 210x195 (~1 km)

#### **DOPPIO Refinement Grids**

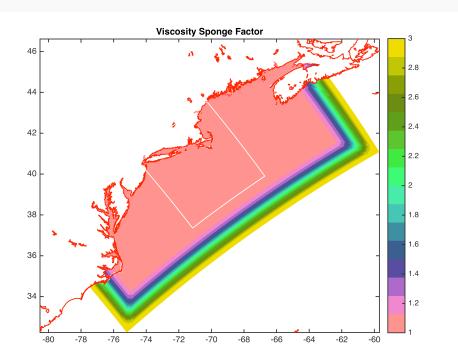


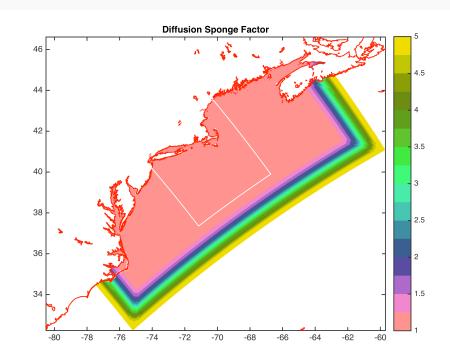
#### **PIONEER Data Array Observations**



**Initial Surface Temperature (01-Jan-2014)** 

#### **DOPPIO Sponge Areas**





#### Same Reynolds Number for all Grids (U $\Delta x/v$ ):

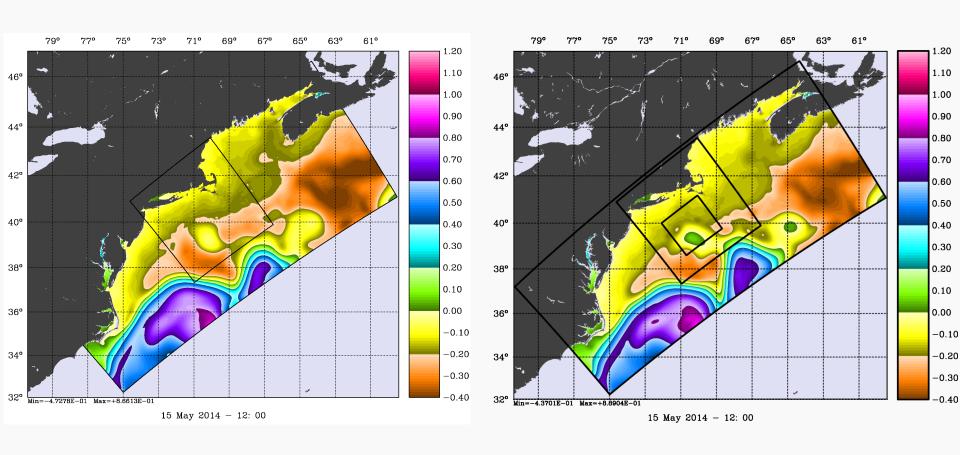
VISC2 ==  $90.0d0 \ 30.0d0 \ 10.0d0$  (m2/s) TNU2 ==  $2*27.0d0 \ 2*9.0d0 \ 2*3.0d0$  (m2/s)

#### Time stepping ( $\Delta t$ ):

 $DT == 180.0d0 \quad 90.0d0 \quad 45.0d0 \quad (3/1.5/0.75 \text{ minute step})$ 

#### **Two-Way DOPPIO-PIONEER-ARRAY**

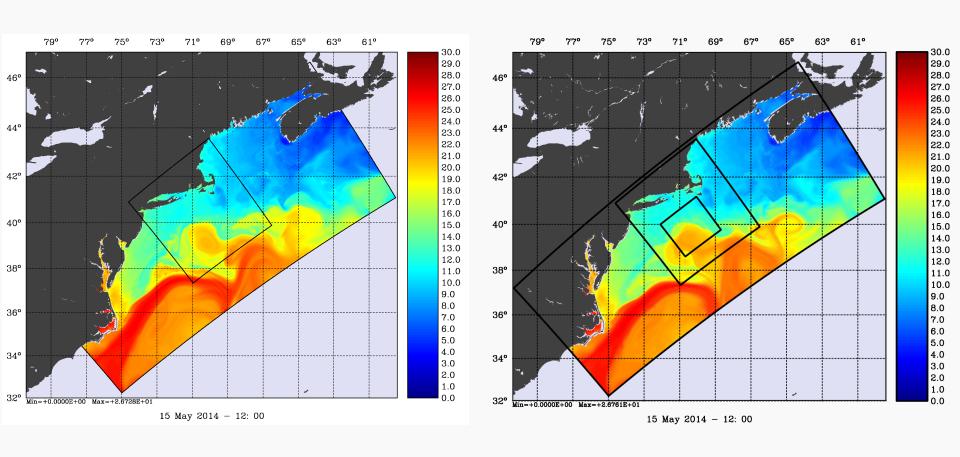
(1:3 Refinement)



**Free-Surface** 

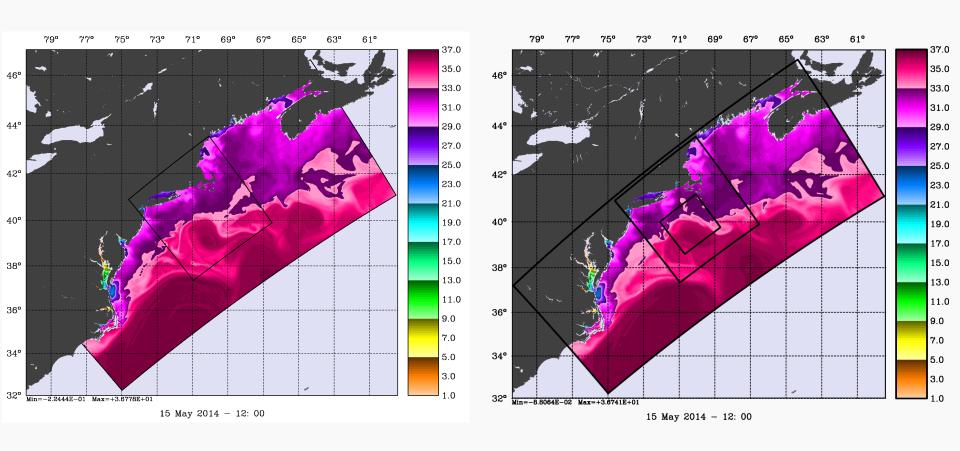
#### **Two-Way DOPPIO-PIONEER-ARRAY**

(1:3 Refinement)



**Surface Temperature (Celsius)** 

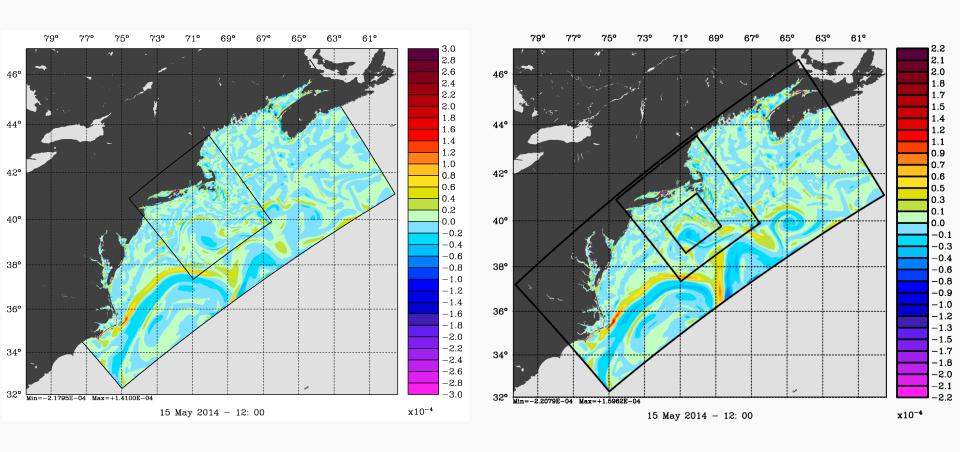
# Two-Way DOPPIO-PIONEER-ARRAY (1:3 Refinement)



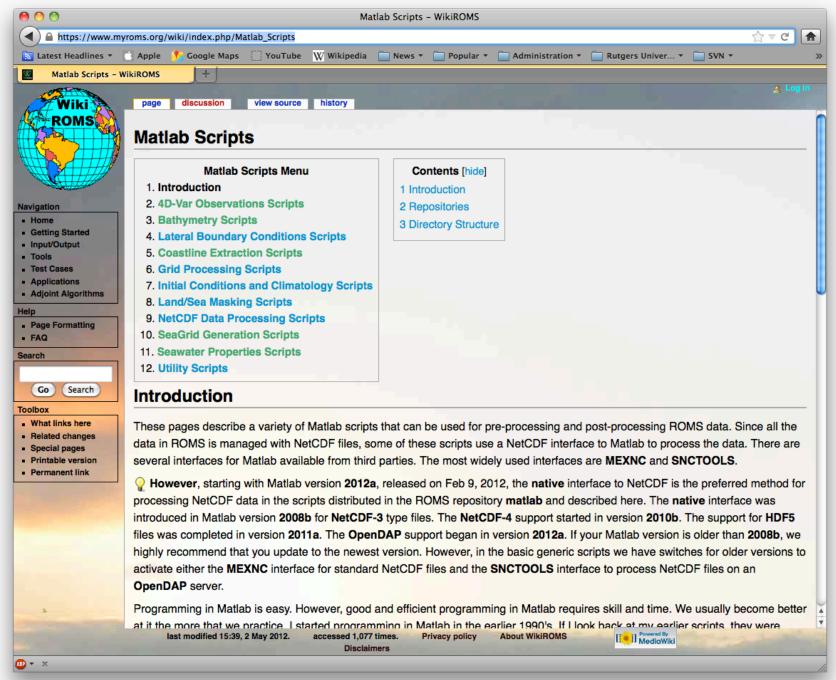
**Surface Salinity** 

#### Two-Way DOPPIO-PIONEER-ARRAY

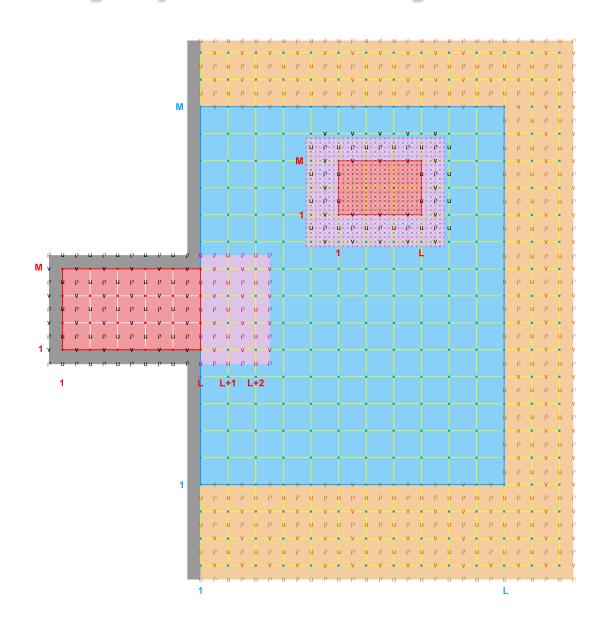
(1:3 Refinement)



**Surface Relative Vorticity (1/s)** 



# Heterogeneous Model Nesting (One-Way Open boundary Conditions)



#### **Nesting Remarks**

- ROMS nesting capabilities are unique and allow complex estuary and coastal configurations with unlimited number of composite and refined grids
- Coincident composite and mosaic grids produce identical solutions when compared to one large continuous grid
- Nowadays, both one-way and two-way nesting work well
- Placement of nested grids is application dependent and subject to geometrical and dynamical constrains
- The two-way exchange of information fine-to-coarse in grid refinement applications is expensive. We are exploring strategies to minimize computational cost.

#### **Upcoming**

- Efficient two-way MPI-communications for the fine-tocoarse nesting step
- Heterogeneous models nesting: one-way open boundary conditions (NetCDF files or ESMF/MCT coupling)
- Multiple model coupling with ESMF (Earth System Modeling Framework, Version 7) including the NUOPC (National Unified Operational Prediction Capability) layer
- Fully coupled ROMS and COAMPS dynamics via ESMF and NUOPC
- Fully coupled ROMS and COAMPS data assimilation (EnKF and 4D-Var)
- 4D-Var data assimilation within nested grids
- Overhaul of ROMS plotting package (NCAR GKS library) to include nesting grids
- Release of ROMS 4.0

#### 2016 ROMS Asia-Pacific Workshop

Hobart, Tasmania Australia October 17 - 21, 2016













the Australian Research Council





Organized by: Hernan G. Arango, John L. Wilkin, Andrew M. Moore, David Gwyther, Ben Galton-Fenzi, and Andreas Klocker

http://www.myroms.org/tasmania workshop

#### Reference

Warner, J.C., W.R. Geyer, and H.G. Arango, 2010: Using composite grid approach in complex coastal domain to estimate estuarine residence time, *Computer and Geosciences*, 36, 921-935, doi:10.1016/j.cageo.2009.11.008.